Lecture 12 CIS 341: COMPILERS

Announcements

- Midterm Exam: March 5th in class!
- HW4: Parsing & basic code generation
 - Available soon
 - Due: March 19th

Simple LR parsing with no look ahead.

LR(0) GRAMMARS

Zdancewic CIS 341: Compilers

LR(0) States

- An LR(0) *state* is a *set* of *items* keeping track of progress on possible upcoming reductions.
- An LR(0) *item* is a production from the language with an extra separator "." somewhere in the right-hand-side



- Example items: $S \mapsto .(L)$ or $S \mapsto (.L)$ or $L \mapsto S$.
- Intuition:
 - Stuff before the '.' is already on the stack
 - (beginnings of possible γ 's to be reduced)
 - Stuff after the '.' is what might be seen next
 - The prefixes α are represented by the state itself

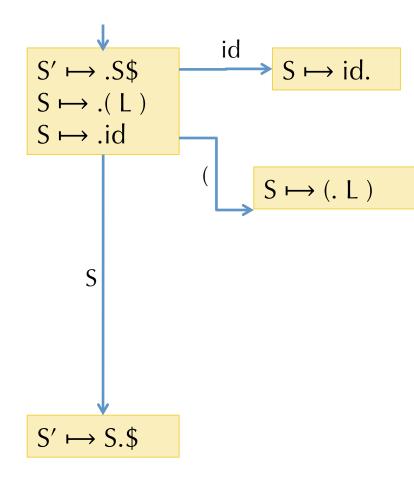


• First, we construct a state with the initial item $S' \mapsto .S$



- Next, we take the closure of that state: $CLOSURE({S' \mapsto .S}) = {S' \mapsto .S}, S \mapsto .(L), S \mapsto .id$
- In the set of items, the nonterminal S appears after the '.'
- So we add items for each S production in the grammar

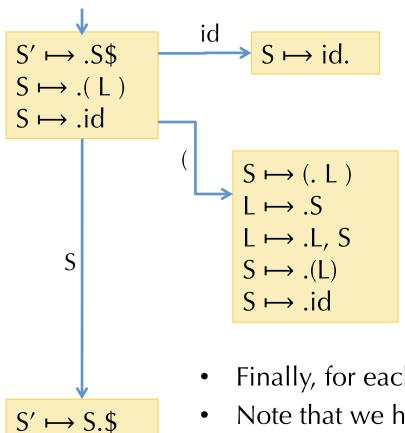
Example: Constructing the DFA



$$\begin{array}{c} \mathsf{S'} \longmapsto \mathsf{S} \$\\ \mathsf{S} \longmapsto (\mathsf{L}) & | \text{ id}\\ \mathsf{L} \longmapsto \mathsf{S} & | \quad \mathsf{L}, \mathsf{S} \end{array}$$

- Next we add the transitions:
- First, we see what terminals and nonterminals can appear after the '.' in the source state.
 - Outgoing edges have those label.
- The target state (initially) includes all items from the source state that have the edge-label symbol after the '.', but we advance the '.' (to simulate shifting the item onto the stack)

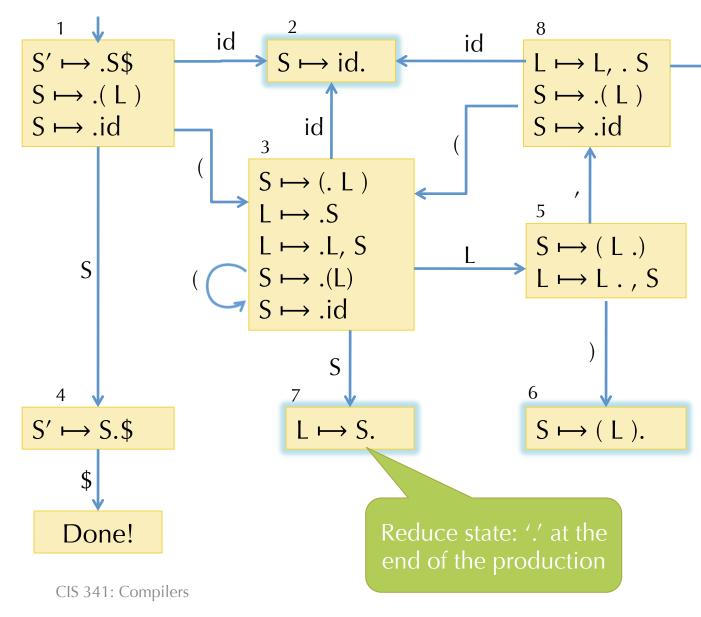




 $\begin{array}{c} S' \longmapsto S\$\\ S \longmapsto (L) & | id\\ L \longmapsto S & | L, S \end{array}$

- Finally, for each new state, we take the closure.
- Note that we have to perform two iterations to compute $CLOSURE({S \mapsto (. L)})$
 - First iteration adds $L \mapsto .S$ and $L \mapsto .L$, S
 - Second iteration adds $S \mapsto .(L)$ and $S \mapsto .id$

Full DFA for the Example



$$\stackrel{9}{\longrightarrow} L \mapsto L, S.$$

- Current state: run the DFA on the stack.
- If a reduce state is reached, reduce
- Otherwise, if the next token matches an outgoing edge, shift.
- If no such transition, it is a parse error.

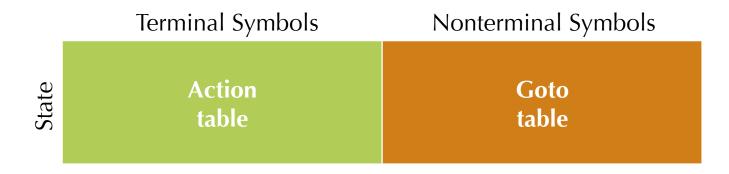
Using the DFA

- Run the parser stack through the DFA.
- The resulting state tells us which productions might be reduced next.
 - If not in a reduce state, then shift the next symbol and transition according to DFA.
 - If in a reduce state, $X \mapsto \gamma$ with stack $\alpha \gamma$, pop γ and push X.
- Optimization: No need to re-run the DFA from beginning every step
 - Store the state with each symbol on the stack: e.g. $_1(_3(_3L_5)_6)$
 - On a reduction $X \mapsto \gamma$, pop stack to reveal the state too: e.g. From stack $_1(_3(_3L_5)_6$ reduce $S \mapsto (L)$ to reach stack $_1(_3)$
 - Next, push the reduction symbol: e.g. to reach stack $_1(_3S)$
 - Then take just one step in the DFA to find next state: $_{1}(_{3}S_{7}$

Implementing the Parsing Table

Represent the DFA as a table of shape: state * (terminals + nonterminals)

- Entries for the "action table" specify two kinds of actions:
 - Shift and goto state n
 - Reduce using reduction $X \mapsto \gamma$
 - First pop γ off the stack to reveal the state
 - Look up X in the "goto table" and goto that state



Example Parse Table

	()	id	,	\$	S	L
1	s3		s2			g4	
2	S⊷id	S⊷id	S⊷id	S⊷id	S⊷id		
3	s3		s2			g7	g5
4					DONE		
5		s6		s8			
6	$S \mapsto (L)$						
7	$L \mapsto S$						
8	s3		s2			g9	
9	$L \mapsto L,S$						

sx = shift and goto state x
gx = goto state x

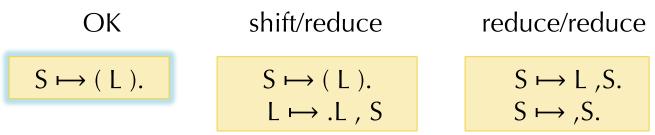
Example

• Parse the token stream: (x, (y, z), w)\$

Stack	Stream	Action (according to table)
ε ₁	(x, (y, z), w)\$	s3
$\varepsilon_1(3)$	x, (y, z), w)\$	s2
$\epsilon_1(_3x_2)$, (y, z), w)\$	Reduce: S⊷id
$\epsilon_1(_3S)$, (y, z), w)\$	g7 (from state 3 follow S)
$\epsilon_1({}_3S_7$, (y, z), w)\$	Reduce: L→S
$\epsilon_1(_3L)$, (y, z), w)\$	g5 (from state 3 follow L)
$\epsilon_1(_3L_5$, (y, z), w)\$	s8
$\epsilon_1({}_3L_{5'8}$	(y, z), w)\$	s3
$\epsilon_1({}_3L_{5'8}({}_3$	y, z), w)\$	s2

LR(0) Limitations

- An LR(0) machine only works if states with reduce actions have a *single* reduce action.
 - In such states, the machine *always* reduces (ignoring lookahead)
- With more complex grammars, the DFA construction will yield states with shift/reduce and reduce/reduce conflicts:



• Such conflicts can often be resolved by using a look-ahead symbol: LR(1)

Examples

• Consider the left associative and right associative "sum" grammars:



- One is LR(0) the other isn't... which is which and why?
- What kind of conflict do you get? Shift/reduce or Reduce/reduce?
- Ambiguities in associativity/precedence usually lead to shift/reduce conflicts.

LR(1) Parsing

- Algorithm is similar to LR(0) DFA construction:
 - LR(1) state = set of LR(1) items
 - An LR(1) item is an LR(0) item + a set of look-ahead symbols:
 - $A \mapsto \alpha.\beta$, $\mathcal L$
- LR(1) closure is a little more complex:
- Form the set of items just as for LR(0) algorithm.
- Whenever a new item $C \mapsto .\gamma$ is added because $A \mapsto \beta.C\delta$, \mathcal{L} is already in the set, we need to compute its look-ahead set \mathcal{M} :

1. The look-ahead set \mathcal{M} includes FIRST(δ)

(the set of terminals that may start strings derived from δ)

2. If δ can derive ϵ (it is nullable), then the look-ahead $\mathcal M$ also contains $\mathcal L$

Example Closure

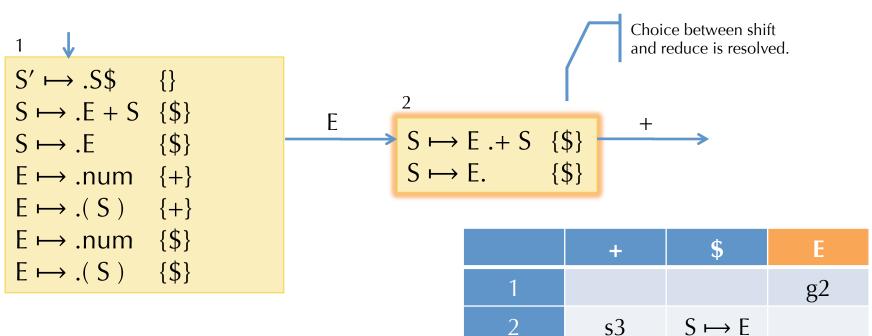
 $S' \mapsto S$ $S \mapsto E + S \mid E$ $E \mapsto number \mid (S)$

- Start item: $S' \mapsto .S$, {}
- Since S is to the right of a '.', add:
- Need to keep closing, since E appears to the right of a '.' in
 '.E + S':

Note: + added for reason 1

- Because E also appears to the right of '.' in '.E' we get: $E \mapsto .number$, {\$} $E \mapsto .(S)$, {\$}
- All items are distinct, so we're done





- The behavior is determined if:
 - There is no overlap among the look-ahead sets for each reduce item, and
 - None of the look-ahead symbols appear to the right of a '.'

Fragment of the Action & Goto tables

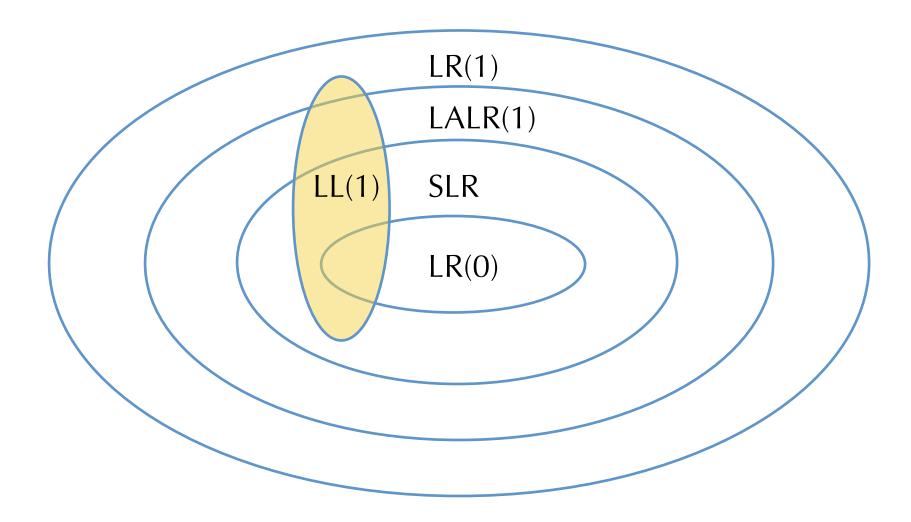
LR variants

- LR(1) gives maximal power out of a 1 look-ahead symbol parsing table
 - DFA + stack is a push-down automaton (recall 262)
- In practice, LR(1) tables are big.
 - Modern implementations (e.g. menhir) directly generate code
- LALR(1) = "Look-ahead LR"
 - Merge any two LR(1) states whose items are identical except for the lookahead sets: $s' \mapsto s = 0$



- Such merging can lead to nondeterminism (e.g. reduce/reduce conflicts), but
- Results in a much smaller parse table and works well in practice
- This is the usual technology for automatic parser generators: yacc, ocamlyacc
- GLR = "Generalized LR" parsing
 - Efficiently compute the set of *all* parses for a given input
 - Later passes should disambiguate based on other context

Classification of Grammars



Debugging parser conflicts. Disambiguating grammars.

MENHIR IN PRACTICE

Zdancewic CIS 341: Compilers

Practical Issues

- Dealing with source file location information
 - In the lexer and parser
 - In the abstract syntax
 - See range.ml, ast.ml
- Lexing comments / strings

۲

Menhir output

- You can get verbose ocamlyacc debugging information by doing:
 - menhir --explain ...
 - or, if using ocambuild: ocambuild --use-menhir -yaccflag --explain ...
- The result is a <basename>.conflicts file that contains a description of the error
 - The parser items of each state use the '.' just as described above
- The flag --dump generates a full description of the automaton
- Example: see start-parser.mly

Precedence and Associativity Declarations

- Parser generators, like menhir often support precedence and associativity declarations.
 - Hints to the parser about how to resolve conflicts.
 - See: good-parser.mly
- Pros:
 - Avoids having to manually resolve those ambiguities by manually introducing extra nonterminals (as seen in parser.mly)
 - Easier to maintain the grammar
- Cons:
 - Can't as easily re-use the same terminal (if associativity differs)
 - Introduces another level of debugging
- Limits:
 - Not always easy to disambiguate the grammar based on just precedence and associativity.

Example Ambiguity in Real Languages

- Consider this grammar: $S \mapsto if(E) S$ $S \mapsto if(E) S else S$ $S \mapsto X = E$ $E \mapsto \dots$
- Is this grammar OK?

• Consider how to parse:

```
if (E_1) if (E_2) S_1 else S_2
```

- This is known as the "dangling else" problem.
- What should the "right" answer be?
- How do we change the grammar?

How to Disambiguate if-then-else

• Want to rule out:

if
$$(E_1)$$
 if (E_2) S_1 else S_2

• Observation: An un-matched 'if' should not appear as the 'then' clause of a containing 'if'.

$$S \mapsto M \mid U \qquad // M = "matched", U = "unmatched" U \mapsto if (E) S // Unmatched 'if' U \mapsto if (E) M else U // Nested if is matched M \mapsto if (E) M else M // Matched 'if' M \mapsto X = E // Other statements$$

• See: else-resolved-parser.mly

Alternative: Use { }

Ambiguity arises because the 'then' branch is not well bracketed: ٠

if (E_1) { if (E_2) { S_1 } } else S_2 // unambiguous if (E_1) { if (E_2) { S_1 } else S_2 } // unambiguous

- So: could just require brackets •
 - But requiring them for the else clause too leads to ugly code for chained if-statements:

```
if (c1) {
} else {
 if (c2) {
 } else {
   if (c3) {
   } else {
   }
 }
```

So, compromise? Allow unbracketed else block only if the body is 'if':

```
if (c1) {
} else if (c2) {
} else if (c3) {
} else {
}
```

Benefits:

- Less ambiguous
- Easy to parse
- Enforces good style